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— : 1 — ( ), 2 — ( )  
 ), 4 — , 5 — . (3 ), (5 , 1  
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 ). 8 .

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(1 ) ;  
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*Science, vol. 347 (2015), pp. 632-635.*

4

2167

2

2 h, ... 1/12

26

... 1/12 -

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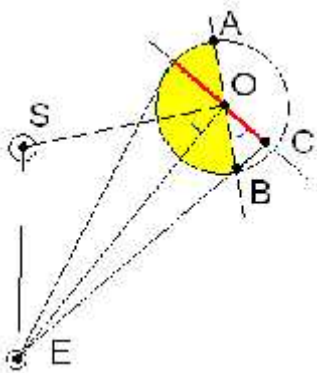
(2 ) ,

(4 )

(2 ) .

8

5



(S), ( )

( ) .

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( )

$w = \angle BOC$  .

$l_{OC} = r_V \cos w$  ,  $r_V -$  ( ) .

$[ = \frac{1}{2} + \frac{1}{2} \cos w$  , ...

$$S_V = [fr_V^2 = (1 + \cos w) \frac{1}{2} fr_V^2 .$$

$$I_S = \frac{K_1}{r^2} ,$$

r -

SO

(

$4fr_V^2$ ),  $K_1 -$

$$I_V = K_2 I_S \frac{S_V}{2} \dots$$

( ),  $K_2 -$

OSE

$$(SE): R^2 = r^2 + \dots^2 - 2r\dots \cos w \quad (SO \perp AB \quad EO \perp OC).$$

$$I_V = K_2 K_1 \frac{2r\dots + r^2 + \dots^2 - R^2}{4r^3 \dots^3} f r_V^2 = const \cdot \frac{(r + \dots)^2 - R^2}{\dots^3}.$$

$$\frac{dI_V}{d\dots} = 0,$$

$$\frac{dI_V}{d\dots} = const \cdot \frac{2(r + \dots)\dots^3 - 3\dots^2[(r + \dots)^2 - R^2]}{\dots^3} = \frac{const}{\dots} \cdot (2r\dots + 2\dots^2 - 3r^2 - 3\dots^2 - 6r\dots - 3R^2) = 0,$$

$$\dots^2 + 4r\dots + 3(r^2 - R^2) = 0. \quad \therefore \dots^2 + 2.8\dots - 1.53 = 0;$$

$$\dots = 0.47 \dots, \quad ( \dots ) [ = \frac{(r + \dots)^2 - 1^2}{4\dots r} = 0.28.$$

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$$(2 \dots), \quad (6 \dots), \quad (8 \dots)$$

**6**

$$47). \quad ( \dots ) \quad ( \dots ) \quad \frac{1}{S} = 1 - \frac{1}{S_{sid}}$$

1.09 ,

$$( \dots ) \quad ( \dots )$$

$$( \dots ) \quad ( \dots ) \quad (1.1), 25$$

$$(0.3) \quad (6.4) \quad 2015 : \quad 30$$

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$$(4) \dots$$

),

$$(4) \dots$$

**8**